

Corporate Debt Maturity Matters For Monetary Policy

Joachim Jungherr ¹ Matthias Meier ²
Timo Reinelt ² Immo Schott ³

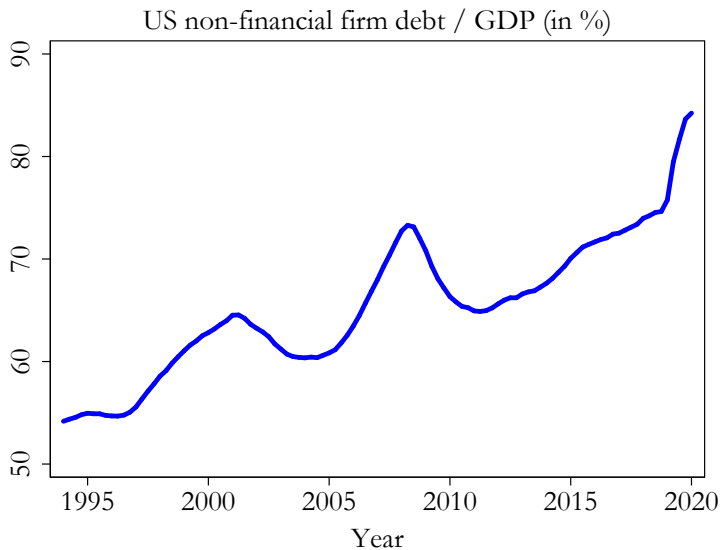
¹University of Bonn

²University of Mannheim

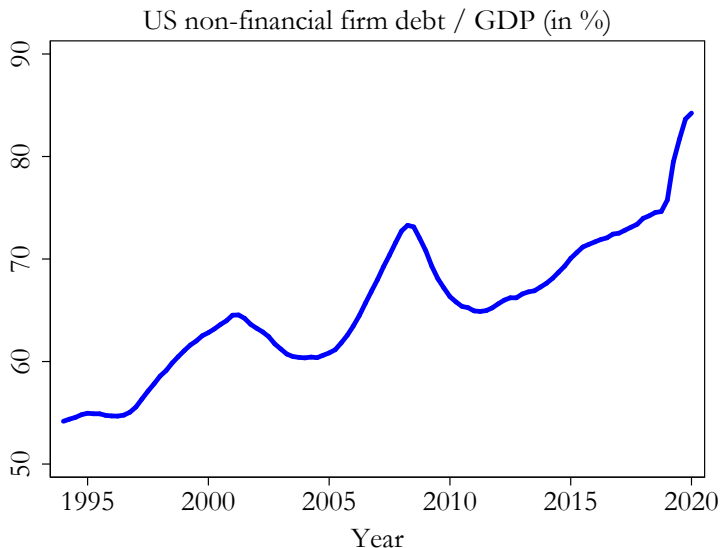
³Université de Montréal and CIREQ

Danmarks Nationalbank, Deutsche Bundesbank,
Norges Bank: 8th Conference on New Developments
in Business Cycle Analysis
Tuesday, December 14th, 2021

Motivation



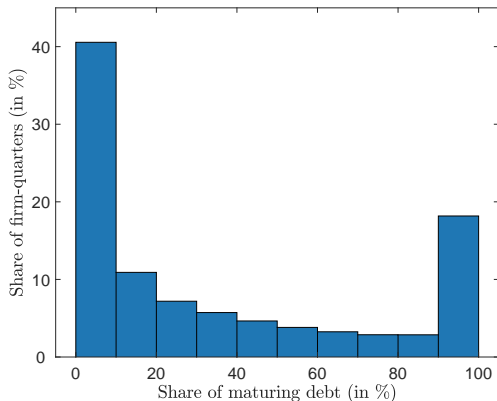
Motivation



⇒ **Firm debt** is becoming more important

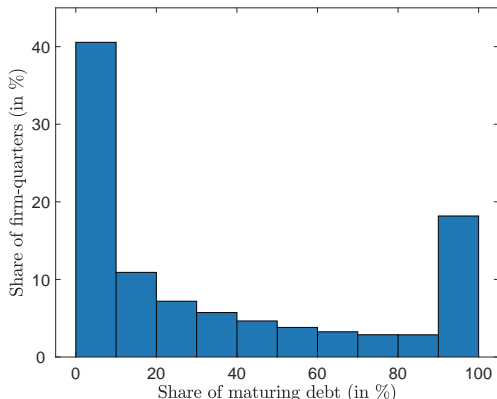
Maturing debt share (firm-level, Compustat):
debt maturing within next 12 months / total firm debt

Maturing debt share (firm-level, Compustat):
debt maturing within next 12 months / total firm debt



Motivation

Maturing debt share (firm-level, Compustat):
debt maturing within next 12 months / total firm debt



⇒ Large heterogeneity in **maturing debt share** across firms

Research Question

How does **debt maturity** matter for effectiveness of **monetary policy**?

Theoretically ambiguous:

Research Question

How does **debt maturity** matter for effectiveness of **monetary policy**?

Theoretically ambiguous:

1. Short-term debt requires high roll-over per period

How does **debt maturity** matter for effectiveness of **monetary policy**?

Theoretically ambiguous:

1. Short-term debt requires high roll-over per period
⇒ **Short-term debt** should increase investment response to monetary policy (**roll-over risk**)

How does **debt maturity** matter for effectiveness of **monetary policy**?

Theoretically ambiguous:

1. Short-term debt requires high roll-over per period
⇒ **Short-term debt** should increase investment response to monetary policy (**roll-over risk**)
2. Interest rates and inflation have stronger effect on real burden of nominal debt if remaining maturity is longer
(Gomes-Jermann-Schmid *AER* 2016)

How does **debt maturity** matter for effectiveness of **monetary policy**?

Theoretically ambiguous:

1. Short-term debt requires high roll-over per period
⇒ **Short-term debt** should increase investment response to monetary policy (**roll-over risk**)
2. Interest rates and inflation have stronger effect on real burden of nominal debt if remaining maturity is longer (Gomes-Jermann-Schmid *AER* 2016)
⇒ **Long-term debt** should increase investment response to monetary policy (**debt overhang**)

Empirical analysis:

- ▶ We merge bond-level information with firm-level balance sheet data and monetary policy shocks

Empirical analysis:

- ▶ We merge bond-level information with firm-level balance sheet data and monetary policy shocks

Result:

- ▶ Firm investment responds **more strongly** to monetary policy shocks when **share of maturing bonds** is larger

Model:

- ▶ New Keynesian heterogeneous firm model
- ▶ financial frictions and **endogenous debt maturity**

Model:

- ▶ New Keynesian heterogeneous firm model
- ▶ financial frictions and **endogenous debt maturity**

Results:

- ▶ Model matches **cross-sectional** patterns in firm size, age, debt maturity, leverage, credit spreads

Model:

- ▶ New Keynesian heterogeneous firm model
- ▶ financial frictions and **endogenous debt maturity**

Results:

- ▶ Model matches **cross-sectional** patterns in firm size, age, debt maturity, leverage, credit spreads
- ▶ In line with our empirical results, firms respond **more strongly** when **maturing bond share** is larger

Model:

- ▶ New Keynesian heterogeneous firm model
- ▶ financial frictions and **endogenous debt maturity**

Results:

- ▶ Model matches **cross-sectional** patterns in firm size, age, debt maturity, leverage, credit spreads
- ▶ In line with our empirical results, firms respond **more strongly** when **maturing bond share** is larger
 - ▶ **Roll-over risk** is small

Model:

- ▶ New Keynesian heterogeneous firm model
- ▶ financial frictions and **endogenous debt maturity**

Results:

- ▶ Model matches **cross-sectional** patterns in firm size, age, debt maturity, leverage, credit spreads
- ▶ In line with our empirical results, firms respond **more strongly** when **maturing bond share** is larger
 - ▶ **Roll-over risk** is small
 - ▶ **Debt overhang** important

Model:

- ▶ New Keynesian heterogeneous firm model
- ▶ financial frictions and **endogenous debt maturity**

Results:

- ▶ Model matches **cross-sectional** patterns in firm size, age, debt maturity, leverage, credit spreads
- ▶ In line with our empirical results, firms respond **more strongly** when **maturing bond share** is larger
 - ▶ **Roll-over risk** is small
 - ▶ **Debt overhang** important

Outline

1. Introduction
2. Empirical Evidence
3. Model Results

Outline

1. Introduction
2. Empirical Evidence
3. Model Results

- ▶ Merge **bond-level** information from Fixed Income Securities Database (FISD) with quarterly **firm-level** balance sheet data from Compustat

- ▶ Merge **bond-level** information from Fixed Income Securities Database (FISD) with quarterly **firm-level** balance sheet data from Compustat

- ▶ Baseline sample:
 - ▶ Listed non-financial US firms with outstanding bonds
 - ▶ Non-callable and fixed-coupon bonds
 - ▶ 35,000 firm-quarters from 1995Q1 to 2017Q4
 - ▶ 50% of US non-financial firm debt
 - ▶ Average firm in sample: 62% of debt are bonds
 - ▶ Average bond maturity at issuance: 8 years
 - ▶ 50% of maturing bonds re-financed within same quarter

Data Set: Maturing Bonds Share

Key variable: **Maturing bonds share** of firm i in **quarter** t

$$\mathcal{M}_{it} = \frac{\text{maturing bonds (in \$)}_{it}}{\text{total debt (in \$)}_{it-1}} \times 100$$

Data Set: Maturing Bonds Share

Key variable: **Maturing bonds share** of firm i in **quarter t**

$$\mathcal{M}_{it} = \frac{\text{maturing bonds (in \$)}_{it}}{\text{total debt (in \$)}_{it-1}} \times 100$$

► Distribution

Monetary policy shocks:

Monetary policy shocks:

- ▶ high frequency identification

Monetary policy shocks:

- ▶ high frequency identification
- ▶ price change of three-months-ahead Federal Funds Futures between 10 min before and 20 min after FOMC announcement (Gertler-Karadi *AEJ:Macro* 2015)

Monetary policy shocks:

- ▶ high frequency identification
- ▶ price change of three-months-ahead Federal Funds Futures between 10 min before and 20 min after FOMC announcement (Gertler-Karadi *AEJ:Macro* 2015)
- ▶ aggregated to quarterly frequency

Monetary policy shocks:

- ▶ high frequency identification
- ▶ price change of three-months-ahead Federal Funds Futures between 10 min before and 20 min after FOMC announcement (Gertler-Karadi *AEJ:Macro* 2015)
- ▶ aggregated to quarterly frequency
- ▶ excluding unscheduled FOMC meeting

Monetary policy shocks:

- ▶ high frequency identification
- ▶ price change of three-months-ahead Federal Funds Futures between 10 min before and 20 min after FOMC announcement (Gertler-Karadi *AEJ:Macro* 2015)
- ▶ aggregated to quarterly frequency
- ▶ excluding unscheduled FOMC meeting
- ▶ sign-restrictions (Jarocinski-Karadi *AEJ:Macro* 2020)

Baseline Estimation

Panel local projections:

$$\log K_{it+h} - \log K_{it-1} = \alpha_i^h + \alpha_{st}^h + \beta_0^h \mathcal{M}_{it} + \beta_1^h \mathcal{M}_{it} \varepsilon_t^{\text{MP}} + \nu_{it}^h$$

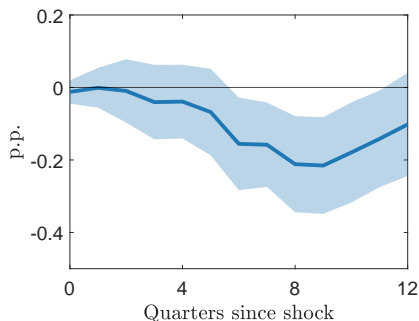
- ▶ firm-level **capital** K_{it}
- ▶ forecast horizon $h \geq 0$
- ▶ firm-fixed effect α_i^h , sector-quarter-fixed effect α_{st}^h
- ▶ **maturing bonds share** \mathcal{M}_{it}
- ▶ **monetary policy shock** $\varepsilon_t^{\text{MP}}$

Panel local projections:

$$\log K_{it+h} - \log K_{it-1} = \alpha_i^h + \alpha_{st}^h + \beta_0^h \mathcal{M}_{it} + \beta_1^h \mathcal{M}_{it} \varepsilon_t^{\text{MP}} + \nu_{it}^h$$

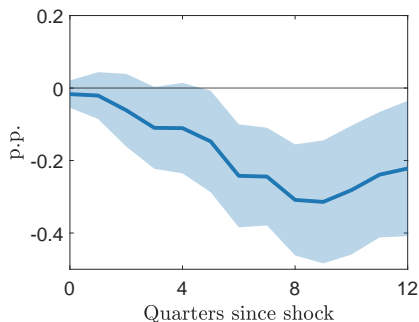
- ▶ firm-level **capital** K_{it}
- ▶ forecast horizon $h \geq 0$
- ▶ firm-fixed effect α_i^h , sector-quarter-fixed effect α_{st}^h
- ▶ **maturing bonds share** \mathcal{M}_{it}
- ▶ **monetary policy shock** $\varepsilon_t^{\text{MP}}$
- ▶ **key coefficient:** β_1^h

Estimated coefficient β_1^h :



- ▶ **contractionary 1-std MP shock $\varepsilon_t^{\text{MP}}$**
- ▶ if \mathcal{M}_{it} is **1 std (1.6pp) higher** at time of MP shock, 8 quarters later firm capital is **0.2 pp smaller**
⇒ if \mathcal{M}_{it} is **10 pp higher** at time of MP shock, 8 quarters later firm capital is **1.25 pp smaller**
- ▶ 95% confidence intervals

Estimated coefficient β_1^h :



- ▶ Substitute \mathcal{M}_{it} by **within-firm deviation** from firm-specific mean: $\mathcal{M}_{it} - \overline{\mathcal{M}}_i$
- ▶ Add within-firm deviations of **control variables**: assets, leverage, liquidity, sales growth, distance to default, average maturity of outstanding bonds

Placebo

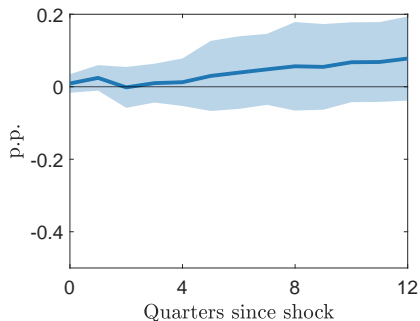
Placebo

- ▶ Use maturing bond share in **preceding** quarter: \mathcal{M}_{it-1} instead of \mathcal{M}_{it}

Placebo

- ▶ Use maturing bond share in **preceding** quarter: \mathcal{M}_{it-1} instead of \mathcal{M}_{it}

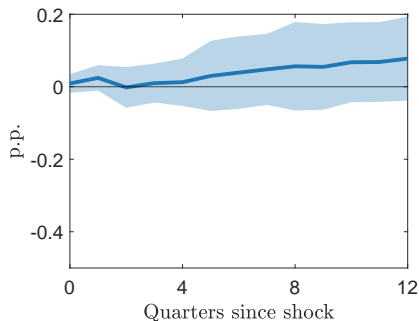
Estimated coefficient β_1^h :



Placebo

- ▶ Use maturing bond share in **preceding** quarter: \mathcal{M}_{it-1} instead of \mathcal{M}_{it}

Estimated coefficient β_1^h :



▶ Debt level or maturity?

Summary Empirical Results

Summary Empirical Results

- ▶ firm **investment** responds more strongly to monetary policy shocks when **maturing bonds share** \mathcal{M}_{it} is larger

Summary Empirical Results

- ▶ firm **investment** responds more strongly to monetary policy shocks when **maturing bonds share** \mathcal{M}_{it} is larger
- ▶ 1 std higher **maturing bonds share** \mathcal{M}_{it} at time of 1-std MP shock \Rightarrow 8 quarters later **firm capital** response is stronger by 0.2 pp

Outline

1. Introduction
2. Empirical Evidence
3. Model Results

Model In A Nutshell

Model In A Nutshell

1. New Keynesian model
 - ▶ Sticky prices and Taylor rule

Model In A Nutshell

1. New Keynesian model
 - ▶ Sticky prices and Taylor rule
2. Heterogeneous firms
 - ▶ Firms receive idiosyncratic productivity and capital quality shocks

Model In A Nutshell

1. New Keynesian model
 - ▶ Sticky prices and Taylor rule
2. Heterogeneous firms
 - ▶ Firms receive idiosyncratic productivity and capital quality shocks
3. Equity vs. debt
 - ▶ Tax advantage of debt + equity issuance costs

Model In A Nutshell

1. New Keynesian model
 - ▶ Sticky prices and Taylor rule
2. Heterogeneous firms
 - ▶ Firms receive idiosyncratic productivity and capital quality shocks
3. Equity vs. debt
 - ▶ Tax advantage of debt + equity issuance costs vs. expected default costs

Model In A Nutshell

1. New Keynesian model
 - ▶ Sticky prices and Taylor rule
2. Heterogeneous firms
 - ▶ Firms receive idiosyncratic productivity and capital quality shocks
3. Equity vs. debt
 - ▶ Tax advantage of debt + equity issuance costs vs. expected default costs
4. **Endogenous debt maturity:**
 - ▶ Long-term debt saves **debt issuance costs**

Model In A Nutshell

1. New Keynesian model
 - ▶ Sticky prices and Taylor rule
2. Heterogeneous firms
 - ▶ Firms receive idiosyncratic productivity and capital quality shocks
3. Equity vs. debt
 - ▶ Tax advantage of debt + equity issuance costs vs. expected default costs
4. **Endogenous debt maturity:**
 - ▶ Long-term debt saves **debt issuance costs** but creates future **debt overhang**...

Model In A Nutshell

1. New Keynesian model
 - ▶ Sticky prices and Taylor rule
2. Heterogeneous firms
 - ▶ Firms receive idiosyncratic productivity and capital quality shocks
3. Equity vs. debt
 - ▶ Tax advantage of debt + equity issuance costs vs. expected default costs
4. **Endogenous debt maturity:**
 - ▶ Long-term debt saves **debt issuance costs** but creates future **debt overhang**...

▶ Firm problem

▶ Solution method

▶ Calibration

▶ Distribution

Model: Debt overhang

Model: Debt overhang

- ▶ The price of a bond sold by a firm depends on the firm's future **default risk**

Model: Debt overhang

- ▶ The price of a bond sold by a firm depends on the firm's future **default risk**
- ▶ The firm can control default risk through **leverage**
(= debt / capital)

Model: Debt overhang

- ▶ The price of a bond sold by a firm depends on the firm's future **default risk**
- ▶ The firm can control default risk through **leverage**
(= debt / capital)
- ▶ **When** a firm issues a **long-term bond**, it would like to **promise** to keep future leverage low

Model: Debt overhang

- ▶ The price of a bond sold by a firm depends on the firm's future **default risk**
- ▶ The firm can control default risk through **leverage**
(= debt / capital)
- ▶ **When** a firm issues a **long-term bond**, it would like to **promise** to keep future leverage low
- ▶ **After** the firm has sold the bond, it will still internalize all **benefits** of higher leverage

Model: Debt overhang

- ▶ The price of a bond sold by a firm depends on the firm's future **default risk**
- ▶ The firm can control default risk through **leverage**
(= debt / capital)
- ▶ **When** a firm issues a **long-term bond**, it would like to **promise** to keep future leverage low
- ▶ **After** the firm has sold the bond, it will still internalize all **benefits** of higher leverage but not expected default costs borne by **existing bondholders**

Model: Debt overhang

- ▶ The price of a bond sold by a firm depends on the firm's future **default risk**
- ▶ The firm can control default risk through **leverage**
(= debt / capital)
- ▶ **When** a firm issues a **long-term bond**, it would like to **promise** to keep future leverage low
- ▶ **After** the firm has sold the bond, it will still internalize all **benefits** of higher leverage but not expected default costs borne by **existing bondholders**

⇒ **Commitment problem:**

Model: Debt overhang

- ▶ The price of a bond sold by a firm depends on the firm's future **default risk**
- ▶ The firm can control default risk through **leverage** (= debt / capital)
- ▶ **When** a firm issues a **long-term bond**, it would like to **promise** to keep future leverage low
- ▶ **After** the firm has sold the bond, it will still internalize all **benefits** of higher leverage but not expected default costs borne by **existing bondholders**

⇒ **Commitment problem:**
leverage **ex-post** higher than optimal **ex-ante**

Model: Debt overhang

⇒ Issuing **long-term debt**...

Model: Debt overhang

⇒ Issuing **long-term debt**...

- ▶ ... distorts **future** leverage

Model: Debt overhang

⇒ Issuing **long-term debt**...

- ▶ ... distorts **future** leverage
- ▶ ... reduces bond prices and increases credit spreads **today**

Model: Debt overhang

⇒ Issuing **long-term debt**...

- ▶ ... distorts **future** leverage
- ▶ ... reduces bond prices and increases credit spreads **today**

Effect is **stronger** if...

Model: Debt overhang

⇒ Issuing **long-term debt**...

- ▶ ... distorts **future** leverage
- ▶ ... reduces bond prices and increases credit spreads **today**

Effect is **stronger** if...

- ▶ ... long-term debt has longer **maturity** (Myers *JFE* 1977, Gomes-Jermann-Schmid *AER* 2016)

Model: Debt overhang

⇒ Issuing **long-term debt**...

- ▶ ... distorts **future** leverage
- ▶ ... reduces bond prices and increases credit spreads **today**

Effect is **stronger** if...

- ▶ ... long-term debt has longer **maturity** (Myers *JFE* 1977, Gomes-Jermann-Schmid *AER* 2016)
- ▶ ... ex-ante **default risk** is higher

Model Results: Cross-Section

Cross-section in model:

Cross-section in model:

Smaller firms...

Cross-section in model:

Smaller firms...

- ▶ ... are less profitable (fixed cost of operation)

Cross-section in model:

Smaller firms...

- ▶ ... are less profitable (fixed cost of operation)
- ▶ ... have higher **default risk**

Cross-section in model:

Smaller firms...

- ▶ ... are less profitable (fixed cost of operation)
- ▶ ... have higher **default risk**
- ▶ ... pay higher **credit spread**

Cross-section in model:

Smaller firms...

- ▶ ... are less profitable (fixed cost of operation)
- ▶ ... have higher **default risk**
- ▶ ... pay higher **credit spread**
- ▶ ... choose lower **leverage**

Cross-section in model:

Smaller firms...

- ▶ ... are less profitable (fixed cost of operation)
- ▶ ... have higher **default risk**
- ▶ ... pay higher **credit spread**
- ▶ ... choose lower **leverage**
- ▶ ... choose lower share of **long-term debt**

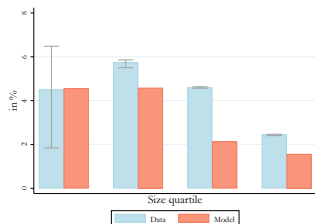
Cross-section in model:

Smaller firms...

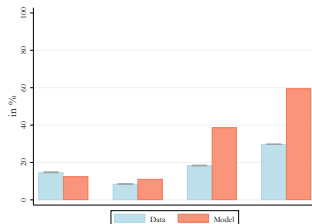
- ▶ ... are less profitable (fixed cost of operation)
- ▶ ... have higher **default risk**
- ▶ ... pay higher **credit spread**
- ▶ ... choose lower **leverage**
- ▶ ... choose lower share of **long-term debt**
- ▶ ... have higher **maturing debt share**

Model Results: Cross-Section by Firm Size

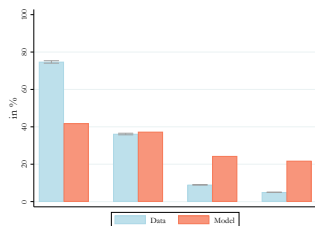
(a) Long-term credit spread



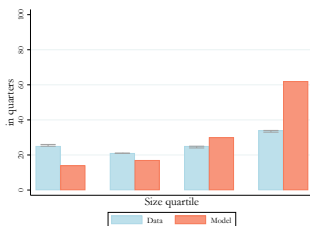
(b) Leverage



(c) Maturing debt share

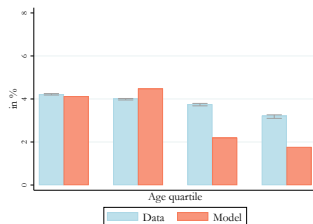


(d) Age

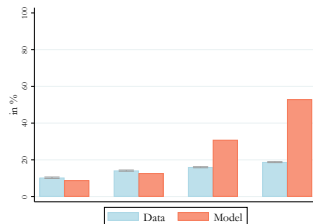


Model Results: Cross-Section by Firm Age

(a) Long-term credit spread



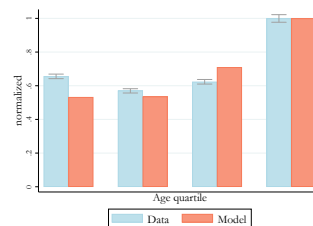
(b) Leverage



(c) Maturing debt share



(d) Size



Model Results: Monetary Policy Shocks

Model Results: Monetary Policy Shocks

- ▶ Surprise increase in the **nominal** interest rate

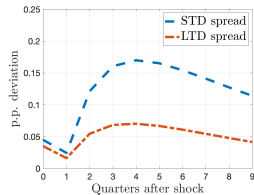
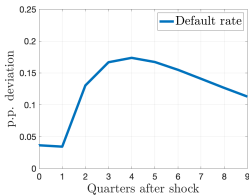
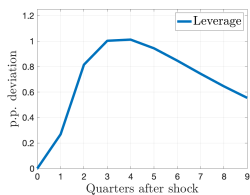
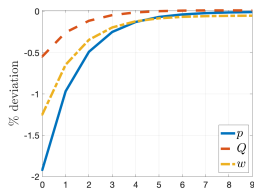
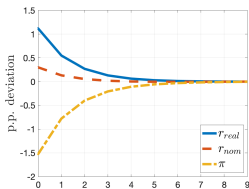
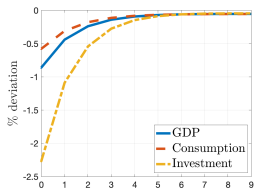
Model Results: Monetary Policy Shocks

- ▶ Surprise increase in the **nominal** interest rate
- ▶ Prices are sticky \Rightarrow **real** interest rate increases

Model Results: Monetary Policy Shocks

- ▶ Surprise increase in the **nominal** interest rate
- ▶ Prices are sticky \Rightarrow **real** interest rate increases
- ▶ Lower benefit of investment for **all** firms

Model Results: Monetary Policy Shocks



Maturing bonds share matters for firms' **investment** response...

Maturing bonds share matters for firms' **investment** response...

1. **Roll-over risk**

Maturing bonds share matters for firms' **investment** response...

1. **Roll-over risk**
2. **Debt overhang**

Model Results: Monetary Policy Shocks

(1.) **Roll-over risk:**

Model Results: Monetary Policy Shocks

(1.) **Roll-over risk:**

$$k = q + e + \tilde{b}^S \cdot p^S \downarrow + \left(\tilde{b}^L - \frac{b}{\pi} \right) \cdot p^L \downarrow$$

Model Results: Monetary Policy Shocks

(1.) **Roll-over risk:**

$$k = q + e + \tilde{b}^S \cdot p^S \downarrow + \left(\tilde{b}^L - \frac{b}{\pi} \right) \cdot p^L \downarrow$$

► Contractionary MP shock lowers **bond prices**

(1.) **Roll-over risk:**

$$k = q + e + \tilde{b}^S \cdot p^S \downarrow + \left(\tilde{b}^L - \frac{b}{\pi} \right) \cdot p^L \downarrow$$

- ▶ Contractionary MP shock lowers **bond prices**
- ▶ Short-term debt requires high **roll-over** \Rightarrow higher pass-through to cash flow

(1.) **Roll-over risk:**

$$k = q + e + \tilde{b}^S \cdot p^S \downarrow + \left(\tilde{b}^L - \frac{b}{\pi} \right) \cdot p^L \downarrow$$

- ▶ Contractionary MP shock lowers **bond prices**
- ▶ Short-term debt requires high **roll-over** \Rightarrow higher pass-through to cash flow
- ▶ Long-term debt matures more slowly \Rightarrow less **roll-over** \Rightarrow **insurance** against roll-over risk

Model Results: Monetary Policy Shocks

(1.) **Roll-over risk:**

$$k = q + e + \tilde{b}^S \cdot p^S \downarrow + \left(\tilde{b}^L - \frac{b}{\pi} \right) \cdot p^L \downarrow$$

- ▶ Contractionary MP shock lowers **bond prices**
- ▶ Short-term debt requires high **roll-over** \Rightarrow higher pass-through to cash flow
- ▶ Long-term debt matures more slowly \Rightarrow less **roll-over** \Rightarrow **insurance** against roll-over risk

\Rightarrow Higher **maturing bonds share** related to stronger **investment** response

Model Results: Monetary Policy Shocks

(1.) Roll-over risk:

$$k = q + e + \tilde{b}^S \cdot p^S \downarrow + \left(\tilde{b}^L - \frac{b}{\pi} \right) \cdot p^L \downarrow$$

- ▶ Contractionary MP shock lowers **bond prices**
- ▶ Short-term debt requires high **roll-over** \Rightarrow higher pass-through to cash flow
- ▶ Long-term debt matures more slowly \Rightarrow less **roll-over** \Rightarrow **insurance** against roll-over risk

\Rightarrow Higher **maturing bonds share** related to stronger **investment** response but quantitatively **small**

(2.) **Debt overhang:**

(2.) **Debt overhang:**

- ▶ Contractionary MP shock reduces market value of **capital** Qk and **inflation** π

(2.) Debt overhang:

- ▶ Contractionary MP shock reduces market value of **capital** Qk and **inflation** π
- ▶ This increases **real burden** of existing **nominal** long-term debt $b/\pi \Rightarrow$ **default risk** increases for all firms

(2.) **Debt overhang:**

- ▶ Contractionary MP shock reduces market value of **capital** Qk and **inflation** π
- ▶ This increases **real burden** of existing **nominal** long-term debt $b/\pi \Rightarrow$ **default risk** increases for all firms
- ▶ **Default risk** increases more strongly for firms with higher ex-ante **default risk**

(2.) **Debt overhang:**

- ▶ Contractionary MP shock reduces market value of **capital** Qk and **inflation** π
- ▶ This increases **real burden** of existing **nominal** long-term debt $b/\pi \Rightarrow$ **default risk** increases for all firms
- ▶ **Default risk** increases more strongly for firms with higher ex-ante **default risk**
- ▶ These firms also have higher **maturing bonds share**

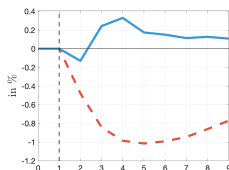
(2.) **Debt overhang:**

- ▶ Contractionary MP shock reduces market value of **capital** Qk and **inflation** π
- ▶ This increases **real burden** of existing **nominal** long-term debt $b/\pi \Rightarrow$ **default risk** increases for all firms
- ▶ **Default risk** increases more strongly for firms with higher ex-ante **default risk**
- ▶ These firms also have higher **maturing bonds share**

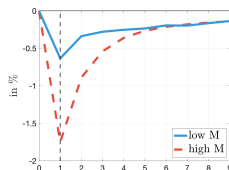
\Rightarrow Higher **maturing bonds share** related to stronger **investment** response

Model Results: Monetary Policy Shocks

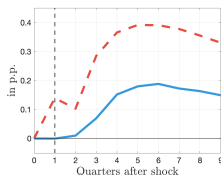
(a) $\Delta \log$ capital



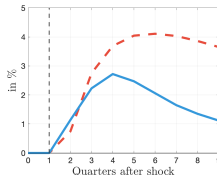
(b) Bond-market revenue



(c) Default rate



(d) Leverage



High \mathcal{M}_{it} :

- ▶ larger increase in **default risk**
- ▶ larger drop of **investment**

Model Results: Monetary Policy Shocks

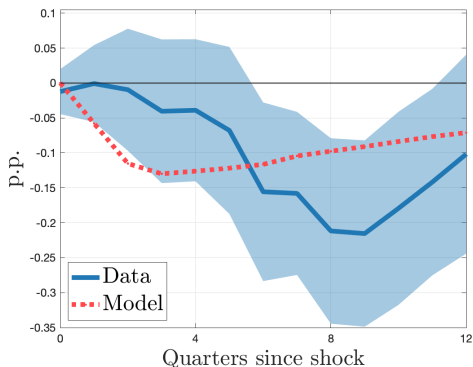
Model Results: Monetary Policy Shocks

Run local projections from empirical part on **simulated model data**

Model Results: Monetary Policy Shocks

Run local projections from empirical part on **simulated model data**

Estimated coefficient B^h :



⇒ Peak estimate about 60% of empirical counterpart

Outline

1. Introduction
2. Empirical Evidence
3. Model Results

Conclusion

Question: How does debt maturity matter for the effectiveness of monetary policy?

Question: How does debt maturity matter for the effectiveness of monetary policy?

- ▶ **Empirical:** firms react more strongly when maturing bonds share is larger

Question: How does debt maturity matter for the effectiveness of monetary policy?

- ▶ **Empirical:** firms react more strongly when maturing bonds share is larger
- ▶ **Model:** **roll-over risk** and **debt overhang** together can explain 60% of empirical estimate

Question: How does debt maturity matter for the effectiveness of monetary policy?

- ▶ **Empirical:** firms react more strongly when maturing bonds share is larger
- ▶ **Model:** **roll-over risk** and **debt overhang** together can explain 60% of empirical estimate

Work in progress:

- ▶ implications for **monetary policy design**
- ▶ ...

Conclusion

Question: How does debt maturity matter for the effectiveness of monetary policy?

- ▶ **Empirical:** firms react more strongly when maturing bonds share is larger
- ▶ **Model:** **roll-over risk** and **debt overhang** together can explain 60% of empirical estimate

Work in progress:

- ▶ implications for **monetary policy design**
- ▶ ...

▶ Maturing debt share over time

Thank you!

▶ **Empirical evidence on debt maturity and financial crises:**

Duchin-Ozbas-Sensoy (2010), Almeida-Campello-Laranjeira-Weisbenner (2012), Kalemli-Ozcan-Laeven-Moreno (2018), Benmelech-Frydman-Papanikolaou (2019), Buera-Karmakar (2021), ...

▶ **Empirical evidence on monetary policy and firm heterogeneity:**

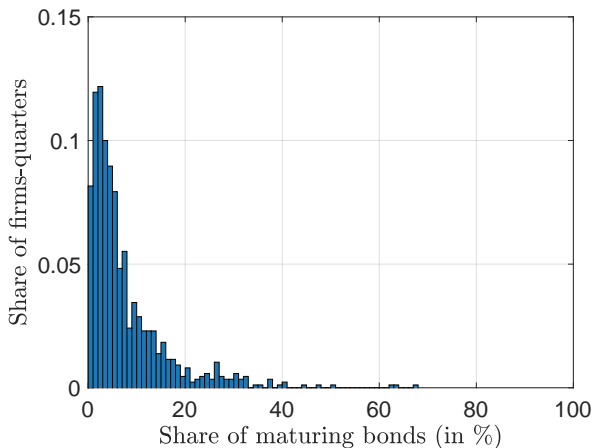
Gertler-Gilchrist (1994), Cloyne-Ferreira-Froemel-Surico (2018), Ippolito-Ozdogli-Perez-Orive (2018), Jeenas (2019), Anderson-Cesa-Bianchi (2020), Ottonello-Winberry (2020), ...

▶ **Heterogeneous firm models with financial frictions:**

Bernanke-Gertler-Gilchrist (1999), Cooley-Quadri (2001), Khan-Thomas (2013), Gomes-Jermann-Schmid (2016), Crouzet (2018), Arellano-Bai-Kehoe (2019), Ottonello-Winberry (2020), ...

Appendix: Maturing Bonds Share

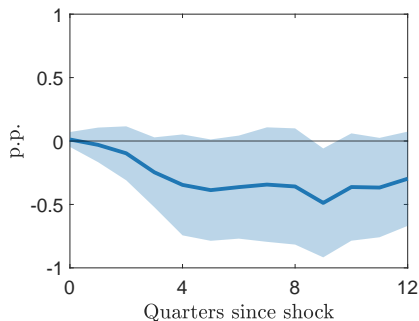
- ▶ 6% of firm-quarters with $\mathcal{M}_{it} > 0$
- ▶ Histogram conditional on $\mathcal{M}_{it} > 0$:



Appendix: Debt level or debt maturity?

Does higher **leverage** at time of MP shock imply stronger investment response?

Estimation **without** \mathcal{M}_{it} : Interaction with **leverage**

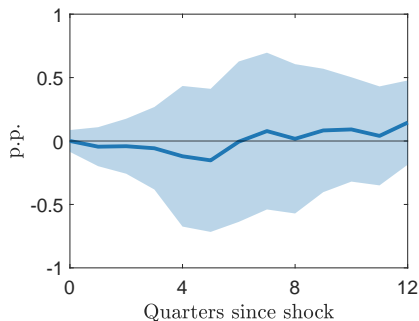


▶ back

Appendix: Debt level or debt maturity?

Does higher **leverage** at time of MP shock imply stronger investment response?

Estimation **with** \mathcal{M}_{it} : Interaction with **leverage**



▶ back

Appendix: Firm Problem

$$V(q, b, z, S) = \max_{\phi(q, b, z, S) = \{k, e \geq \underline{e}, \tilde{b}^S, \tilde{b}^L\}} -e - G(e) - H(\tilde{b}^S, \tilde{b}^L, b/\pi)$$

$$+ \mathbb{E} \Lambda \int_{\bar{\varepsilon}}^{\infty} \left[(1 - \kappa) V(q', b', z', S') + \kappa \left(q' - \frac{b'}{\pi'} g(q', b', z', S') \right) \right] \varphi(\varepsilon) d\varepsilon$$

$$\text{s.t.: } q' = Q'k - \frac{\tilde{b}^S}{\pi'} - \frac{\gamma \tilde{b}^L}{\pi'} + (1 - \tau) \left[py - wl + (\varepsilon - \delta)Q'k - f - \frac{c(\tilde{b}^S + \tilde{b}^L)}{\pi'} \right]$$

$$y = z \left(k^\psi l^{1-\psi} \right)^\zeta, \quad \text{where: } l = \left(\zeta(1 - \psi) p z k^{\psi \zeta} / w \right)^{\frac{1}{1 - \zeta(1 - \psi)}}$$

$$\bar{\varepsilon}: (1 - \kappa) \hat{\mathbb{E}} V(q', b', z', S') + \kappa \left(q' - \frac{b'}{\pi'} \hat{\mathbb{E}} g(q', b', z', S') \right) = 0$$

$$Qk = q + e + \tilde{b}^S p^S + \left(\tilde{b}^L - \frac{b}{\pi} \right) p^L$$

$$b' = (1 - \gamma) \tilde{b}^L$$

$$p^S = \mathbb{E} \Lambda \left[\left[1 - \Phi(\bar{\varepsilon}) \right] \frac{1 + c}{\pi'} + \frac{(1 - \xi)}{\tilde{b}^S + \tilde{b}^L} \int_{-\infty}^{\bar{\varepsilon}} \underline{q} \varphi(\varepsilon) d\varepsilon \right]$$

$$p^L = \mathbb{E} \Lambda \left[\int_{\bar{\varepsilon}}^{\infty} \frac{\gamma + c + (1 - \gamma) g(q', b', z', S')}{\pi'} \varphi(\varepsilon) d\varepsilon + \frac{(1 - \xi)}{\tilde{b}^S + \tilde{b}^L} \int_{-\infty}^{\bar{\varepsilon}} \underline{q} \varphi(\varepsilon) d\varepsilon \right]$$

Reiter (2009):

1. **global** solution of steady state

- ▶ idiosyncratic firm-level shocks
- ▶ stationary firm distribution $\mu(q, b, z)$
- ▶ computational challenge in models of risky long-term debt: p^L
- ▶ value function iteration and interpolation

2. **perturbation** for aggregate dynamics

- ▶ aggregate monetary policy shock
- ▶ first-order linear approximation

▶ back

Appendix: Calibration 1

Table: Externally calibrated parameters

Parameter	Description	Value
β	preference parameter	0.99
c	debt coupon	$1/\beta - 1$
θ	inverse Frisch elasticity	0.5
ζ	production technology	0.75
ψ	production technology	0.33
δ	depreciation rate	0.025
γ	repayment rate long-term debt	0.05
τ	corporate income tax	0.4
ρ	demand elasticity retail goods	10
λ	price adjustment cost parameter	90
ϕ	capital goods technology	4
φ_m	Taylor rule	1.25
ρ_m	Taylor rule	0.5

Appendix: Calibration 2

Table: Internally calibrated parameters

Param.	Value	Target	Data	Model
σ_ε	0.66	Av. firm leverage	34.4%	29.3%
ξ	0.90	Av. credit spread on long-term debt	3.1%	3.3%
η	0.0045	Av. share of maturing debt	35.5%	33.6%
ν	0.0005	Av. annual equity issuance / assets	11.4%	14.7%
ρ_z	0.983	Median of av. capital growth (quart.)	1.0%	1.2%
σ_z	0.184	Median of s.d. of capital growth (quart.)	8.3%	9.7%
κ	0.0151	Total exit rate (quarterly)	2.2%	2.3%
f	0.274	Steady state value of entry $V(0, 0, z^e, S)$	-	0

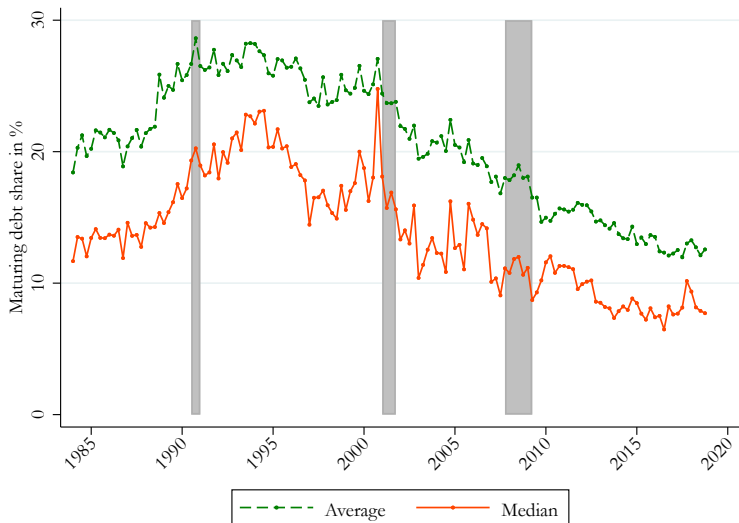
▶ back

Appendix: Unconditional moments

	Mean	Percentile		
		25	50	75
Data				
Leverage	34.4	1.0	19.4	40.3
Credit spread on long-term debt	3.1	1.6	3.1	4.3
Share of maturing debt	35.5	1.8	18.1	67.2
Model				
Leverage	29.3	11.2	16.2	45.1
Credit spread on long-term debt	3.3	1.8	4.0	4.6
Share of maturing debt	33.6	23.1	33.1	39.2

▶ back

Appendix: Time trend



▶ back