

# Prudential Policy For Peggers

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## Abstract

This paper shows that in a small open economy model with downward nominal wage rigidity pegging the nominal exchange rate creates a negative pecuniary externality. This peg-induced externality is shown to cause unemployment, overborrowing, and depressed levels of consumption. The paper characterizes the optimal capital control policy and shows that it is prudential in nature. For it restricts capital inflows in good times and subsidizes external borrowing in bad times. Under plausible calibrations of the model, this type of macro prudential policy is shown to lower the average unemployment rate by 10 percentage points, reduce average external debt by more than 50 percent, and increase welfare by over 7 percent of consumption per period.

**JEL Classifications:** F41, E31, E62.

**Keywords:** Currency pegs, downward wage rigidity, capital controls, pecuniary externality.

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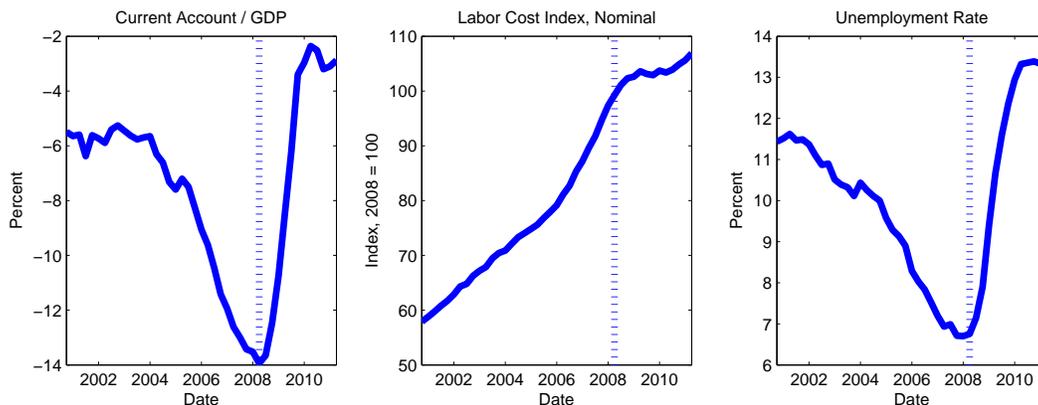
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# 1 Introduction

Fixed-exchange rate arrangements are often part of broader economic reform programs that include liberalization of international capital flows. For small emerging economies, such a policy combination has been a mixed blessing. A case in point is the European currency union, which imposes capital account liberalization as a prerequisite for admission. In the early 2000s, a number of small peripheral members of the eurozone enjoyed large capital inflows, which through their expansionary effect on domestic absorption, led to sizable appreciations in hourly wages (see figure 1). With the onset of the global recession in 2008,

Figure 1: Boom-Bust Cycle in Peripheral Europe: 2000-2011



Data Source: Eurostat. Data represents arithmetic mean of Bulgaria, Cyprus, Estonia, Greece, Lithuania, Latvia, Portugal, Spain, Slovenia, and Slovakia.

however, capital inflows dried up and aggregate demand collapsed (see the left panel of figure 1). At the same time nominal wages remained at the level they achieved at the peak of the boom (see the middle panel of figure 1). The combination of highly depressed levels of aggregate demand and high nominal wages led to a massive increase in involuntary unemployment (see the right panel of figure 1). In turn, local monetary authorities were unable to reduce real wages via a devaluation because of their commitment to the currency union.

This narrative evokes several interrelated questions. One is what is the connection between capital mobility and the economic performance of fixed exchange rate regimes. An-

other is whether emerging-country peggers might be better off imposing capital controls. And, if so, whether optimal capital controls are prudential in nature. The goal of this paper is to address these questions in the context of a dynamic, stochastic, optimizing model of an emerging economy. The central counterfactual situation considered in our analysis, i.e., the imposition of capital controls, serves as a way to highlight the costs imposed by the current institutional arrangement in the European Union that insists on free capital mobility. The main point that emerges from our analysis is that the combination of free capital mobility and currency pegs is highly deleterious for peripheral members of the union.

Our theoretical laboratory is the Schmitt-Grohé and Uribe (2011) model of an open economy with tradable and nontradable goods, downward nominal wage rigidity and a fixed exchange rate. The model economy is driven by exogenous and stochastic disturbances to the endowment of tradable goods and to the country interest rate. We show that in the context of that model, the combination of downward nominal wage rigidity, a fixed exchange rate, and free capital mobility creates a negative pecuniary externality. The nature of the externality identified in this paper is as follows. Expansions in aggregate demand drive up wages, putting the economy in a vulnerable situation. For in the contractionary phase of the cycle, downward wage rigidity and a fixed exchange rate prevent real wages from falling to the level consistent with full employment. Agents understand this mechanism, but are too small to internalize that their individual expenditure decisions collectively cause inefficiently large increases in wages during expansions, which exacerbate unemployment during contractions.

The existence of the pecuniary externality creates a rationale for government intervention. We focus on capital controls as a second-best instrument. In particular, we assume that the government levies a proportional tax (subsidy) on net external debt holdings. The tax is equivalent to an interest rate markup on net foreign liabilities. We then characterize analytically and numerically optimal capital control policy under commitment. We show that the implied tax on external debt is positive on average and highly procyclical. Thus, the optimal capital control policy is prudential in nature, as it seeks to mitigate the pecuniary

externality by restricting capital inflows in good times and subsidizing external borrowing in bad times.

Using a calibrated version of the model, we show that the optimal capital control policy achieves significant reductions in unemployment (about 10 percentage points) and that the welfare gains from macro prudential policy are large, amounting to over 7 percent of consumption per period. By contrasting the aggregate allocation under optimal capital controls with the one resulting under free capital mobility, we find that the unregulated economy displays significant overborrowing. The average external debt-to-output ratio in the economy with free capital mobility is more than twice as large as the one induced under optimal capital controls.

Capital controls are not the only instruments through which the policymaker can address the inefficiencies arising from the combination of a currency peg and downward nominal wage rigidity. Elsewhere, we have shown that the first-best allocation can be achieved by means of optimal labor or consumption subsidies (Schmitt-Grohé and Uribe, 2011, 2012). A natural question is then why bother characterizing optimal capital controls, if, after all, they achieve only a second-best allocation. The reason is that policymakers may find that capital controls is the only instrument that they can implement in practice. The use of labor subsidies to achieve the first best may be difficult from a political point of view. In Schmitt-Grohé and Uribe (2011, 2012) we show that the labor subsidy scheme that implements the first best inherits the stochastic properties of the underlying shocks, which in emerging countries like those in the periphery of Europe, are highly volatile. Thus the optimal labor subsidy scheme would require large variations in wage subsidies at a quarterly frequency. This may be highly problematic in light of the fact that the institutional arrangements (especially the legislative process) that govern the determination of income taxes is highly inertial, making large swings in labor subsidies on a quarter-to-quarter basis unrealistic. By contrast, capital controls can be politically portrayed as taxes on foreign speculators. As a result the executive branch of the government typically is given much more leeway to set capital income taxes

at business-cycle frequency.

In the case of Europe, all three policy options for addressing the inefficiencies brought about by downward nominal wage rigidity, namely devaluation, labor/production subsidies, and capital controls, are limited by existing supranational arrangements. If peripheral Europe is to achieve stability central aspects of these arrangements are likely to change. It is therefore of interest to fully characterize the business-cycle implications of each of these three policy alternatives. The contribution of the current paper is to investigate the potential benefits of moving away of free capital mobility toward a policy of optimally designed capital controls.

We view our work as most closely related to the Mundellian literature on the trilemma of international finance, according to which a country cannot have at the same time a fixed exchange rate, free capital mobility, and an independent interest rate policy. (For a recent treatment, see Obstfeld, Shambaugh, and Taylor, 2010.) We present an explicit articulation of this view in the context of a dynamic, optimizing model of a small open economy with downward nominal wage rigidity. We take a fixed exchange rate regime as a given, because we wish to understand the policy options available to the peripheral members of the eurozone short of breaking away from the common currency arrangement. In our model economy, the benevolent government has an incentive to vary the effective interest rate (through capital controls) as a way to insulate the nontraded sector from external shocks. The existing theoretical literature on optimal capital controls based on the trilemma of international finance is quite informal and reduced form. By contrast, the building blocks of our theoretical framework are welfare maximizing households, profit maximizing firms, and a benevolent government operating in a dynamic and uncertain environment. Consequently, our model, once calibrated to capture key elements of actual emerging economies, allows us to derive sharp predictions about the welfare-maximizing capital control process and its associated real allocation.

A second strand of the related literature stresses financial distortions, such as collat-

eral constraints on external borrowing as a rationale for capital controls (Auernheimer and García-Saltos, 2000; Uribe, 2006, 2007; Lorenzoni, 2008; Korinek, 2010; Benigno, Chen, Otrok, Rebucci, and Young, 2011; and Bianchi, 2011). A third, more recent, line of work, is based on the observation that large countries can affect the interest rate, or the intertemporal price of consumption (Costinot, Lorenzoni, and Werning, 2011). As a result, governments of large countries have incentives to apply capital controls as a means to induce households to internalize the country's market power in financial markets. Our theory of capital controls is distinct from the above two in that it does not assume the existence of collateral constraints or market power in financial markets. Instead, in our formulation the government levies taxes on external debt as a way to mitigate the distortion in the labor market created by the combination of downward nominal wage rigidity and a fixed exchange rate. Because consumption of tradables acts as a shifter of the demand for nontradables, and because the nontraded sector is labor intensive, the government can indirectly affect employment in the nontraded sector by manipulating the intertemporal price of tradables (the interest rate) via capital controls. Thus, the government in a fixed-exchange-rate economy determines the optimal capital control policy as the solution to a trade off between intertemporal distortions (caused the capital controls themselves) and static distortions (caused by downward real wage rigidity).

The remainder of the paper is organized in seven sections. Section 2 embeds capital controls into a small open economy model with downward nominal wage rigidity and a fixed-exchange rate. Section 3 characterizes optimal capital control policy under commitment. It shows analytically that the optimal capital-control policy is prudential. Section 4 analyzes quantitatively the behavior of the economy with and without capital controls undergoing a boom-bust cycle. Section 5 presents the effects of optimal capital controls on first and second unconditional moments of key macroeconomic aggregates. Section 6 identifies and quantifies overborrowing induced by the combination of a currency peg and downward nominal wage rigidity. Section 7 investigates the welfare losses due to free capital mobility in fixed exchange

rate economies. Section 8 concludes.

## 2 An Open Economy With Downward Wage Rigidity

We embed capital controls into the small open economy model with downward nominal wage rigidity developed in Schmitt-Grohé and Uribe (2011). We assume that the nominal wage rate, denoted  $W_t$ , must satisfy the following restriction

$$W_t \geq \gamma W_{t-1}, \tag{1}$$

where  $\gamma$  is a nonnegative parameter governing the degree of downward nominal wage rigidity. The larger is  $\gamma$ , the more stringent is the downward rigidity in nominal wages. In Schmitt-Grohé and Uribe (2011), we present empirical evidence suggesting that  $\gamma$  is close to unity.

Throughout the present analysis, we assume that the central bank pegs the nominal exchange rate. Specifically, letting  $E_t$  denote the domestic-currency price of one unit of foreign currency, we impose

$$E_t = \bar{E} \tag{2}$$

for all  $t$ , where  $\bar{E}$  is a positive constant. The combination of a fixed-exchange-rate regime and downward nominal wage rigidity introduces a real rigidity. Specifically, the wage rate in terms of foreign currency, denoted  $w_t \equiv W_t/E_t$  is downwardly rigid. This rigidity makes the economy vulnerable to any shock that requires a fall in real wages. The inability of the real wage to fall will in general cause unemployment and therefore a loss of welfare.

The inefficiency introduced by the combination of downward nominal wage rigidity and a fixed exchange rate, opens the door to welfare-improving fiscal policy. In the present investigation, we study the extent to which capital controls can help ameliorate this inefficiency. We model capital controls as a proportional tax on gross capital inflows.

The model features two types of good, tradables and nontradables. Tradable output is

exogenous and stochastic, while nontraded output is produced with labor services. The economy is driven by two exogenous shocks. One is the endowment of tradables just described. The second shock emerges from the assumption that the interest rate charged to the small open economy in international financial markets is exogenous and stochastic.

## 2.1 Households

The economy is populated by a large number of identical households with preferences described by the utility function

$$\mathbb{E}_0 \sum_{t=0}^{\infty} \beta^t U(c_t), \quad (3)$$

where  $c_t$  denotes consumption. The period utility function  $U$  is assumed to be strictly increasing and strictly concave and the parameter  $\beta$ , denoting the subjective discount factor resides in the interval  $(0, 1)$ . The symbol  $\mathbb{E}_t$  denotes the mathematical expectations operator conditional upon information available in period  $t$ . The consumption good is a composite of tradable consumption,  $c_t^T$ , and nontradable consumption,  $c_t^N$ . The aggregation technology is of the form

$$c_t = A(c_t^T, c_t^N), \quad (4)$$

where  $A$  is an increasing, concave, and linearly homogeneous function.

We assume full liability dollarization. Specifically, households have access to a one-period, internationally traded, state non-contingent bond denominated in tradables. We let  $d_t$  denote the level of debt assumed in period  $t - 1$  and due in period  $t$  and  $r_t$  the interest rate on debt held between periods  $t$  and  $t + 1$ . The sequential budget constraint of the household is given by

$$c_t^T + p_t c_t^N + d_t = (1 + \tau_t^y)[y_t^T + w_t h_t + \phi_t] + \frac{d_{t+1}(1 - \tau_t^d)}{1 + r_t}, \quad (5)$$

where  $p_t \equiv P_t^N/P_t^T$  denotes the relative price of nontradables in terms of tradables, with  $P_t^N$  and  $P_t^T$ , denoting, respectively, the nominal prices of nontradables and tradables. We assume that the law of one price holds for tradables. Specifically, we let  $P_t^{T*}$  denote the

foreign currency price of tradables and  $E_t$  the nominal exchange rate, defined as the domestic-currency price of one unit of foreign currency. Then, the law of one price implies that

$$P_t^T = P_t^{T^*} E_t.$$

We assume that the foreign-currency price of tradables is constant and normalized to unity,  $P_t^{T^*} = 1$ .

The variable  $\tau_t^d$  denotes the tax rate on debt acquired in period  $t$ . For each unit of tradable good that the household promises to pay in period  $t+1$ , it receives  $(1 - \tau_t^d)/(1 + r_t)$  units in period  $t$ . The government intervention in the international financial market alters the effective gross interest rate paid by the household from  $1 + r_t$  to  $(1 + r_t)/(1 - \tau_t^d)$ . The rate  $\tau_t^d$  can take positive or negative values. When it is positive, the government discourages borrowing by raising the effective interest rate. In this case, we say that the government imposes capital controls. On the other hand, when  $\tau_t^d$  is negative, the government subsidizes international borrowing by lowering the effective interest rate. As we will see shortly, a benevolent government will make heavy use of cyclical adjustments in capital controls to stabilize consumption and employment.

The variable  $\tau_t^y$  denotes a proportional income subsidy rate (tax rate if negative) determined by the government. It serves as a channel for the government to rebate the fiscal revenues created by the imposition of capital controls. Because all of the components of nonfinancial individual income are taken as exogenous by the household, the income tax  $\tau_t^y$  is nondistorting. Specifically, nonfinancial household income is given by  $y_t^T + w_t h_t + \phi_t$ , where  $h_t$  denotes hours worked and  $\phi_t$  denotes profits from the ownership of firms. Households supply inelastically  $\bar{h}$  hours to the labor market each period. However, because of the presence of downward nominal wage rigidity, they may not be able to sell all of the hours supplied. As a result, households take employment,  $h_t \leq \bar{h}$ , as exogenously given.

Households are assumed to be subject to the following debt limit, which prevents them

from engaging in Ponzi schemes.

$$d_{t+1} \leq \bar{d}, \quad (6)$$

where  $\bar{d}$  denotes the natural debt limit. Households choose contingent plans  $\{c_t, c_t^T, c_t^N, d_{t+1}\}$  to maximize (3) subject to (4)-(6) taking as given  $w_t, h_t, \phi_t, y_t^T, r_t, \tau_t^d, \tau_t^y$ , and  $p_t$ . The optimality conditions associated with this problem are (4)-(6) and

$$\frac{A_2(c_t^T, c_t^N)}{A_1(c_t^T, c_t^N)} = p_t, \quad (7)$$

$$\lambda_t = U'(c_t)A_1(c_t^T, c_t^N),$$

$$\frac{\lambda_t(1 - \tau_t^d)}{1 + r_t} = \beta \mathbb{E}_t \lambda_{t+1} + \mu_t,$$

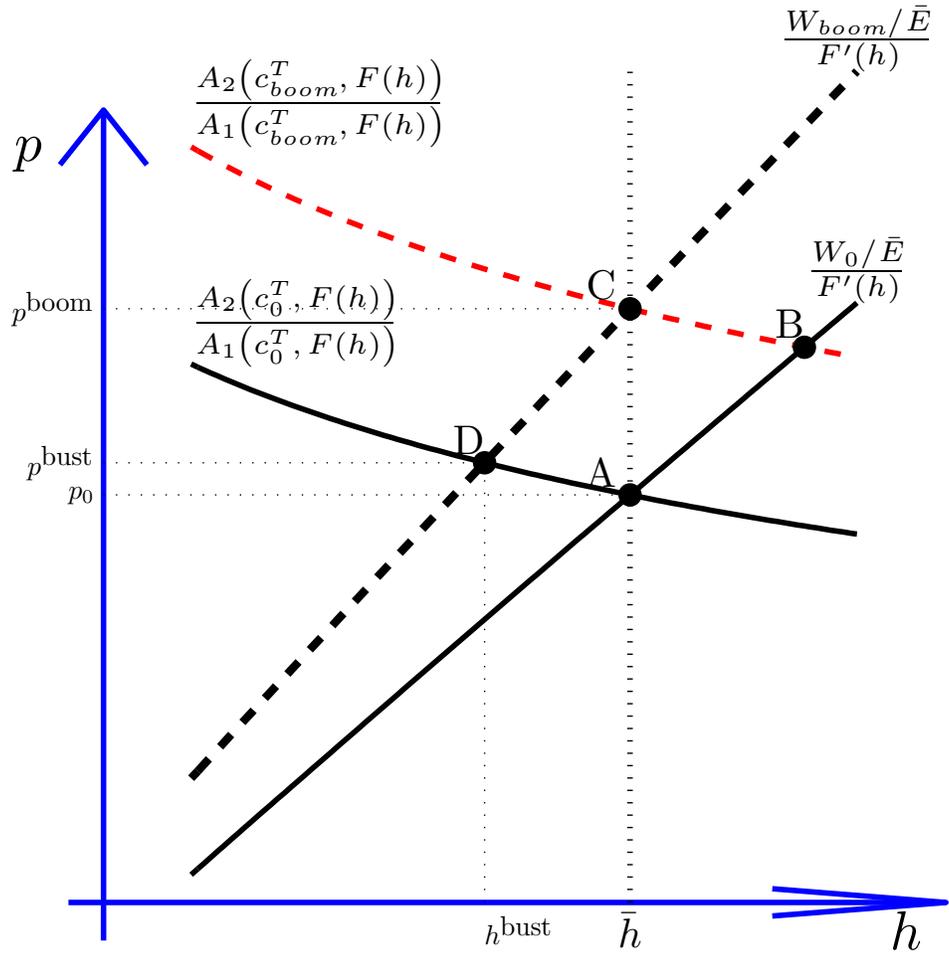
$$\mu_t \geq 0,$$

$$\mu_t(d_{t+1} - \bar{d}) = 0,$$

where  $\lambda_t$  and  $\mu_t$  denote the Lagrange multipliers associated with (5) and (6), respectively.

Equation (7) describes the demand for nontradables as a function of the relative price of nontradables,  $p_t$ , and the level of tradable absorption,  $c_t^T$ . Given  $c_t^T$ , the demand for nontradables is strictly decreasing in  $p_t$ . This is a consequence of the assumptions made about the aggregator function  $A$ . It reflects the fact that as the relative price of nontradables increases, households tend to consume relatively less nontradables. The demand function for nontradables is depicted in figure 2 as a downward sloping solid line. (Notice that in the figure, the demand function is plotted in the space  $(h_t, p_t)$ , rather than in the space  $(c_t^N, p_t)$ . As will become clear shortly, we are jumping ahead and using the fact that under market clearing in the nontraded sector,  $c_t^N = F(h_t)$  at all times. We refer to the depicted locus as the demand function for nontradables, even though strictly speaking it is not.) An increase in the absorption of tradables shifts the demand schedule up and to the right, reflecting normality. This shift is shown with a dashed downward sloping line in figure 2, for an increase in traded

Figure 2: Pecuniary Externality



consumption from  $c_0^T$  to  $c_{boom}^T$ . It follows that absorption of tradables can be viewed as a shifter of the derived demand for labor. Of course,  $c_t^T$  is itself an endogenous variable, which is determined simultaneously with all other endogenous variables of the model.

## 2.2 Firms

Nontraded output is produced by perfectly competitive firms. Each firm operates a production technology given by  $F(h_t)$ , which uses labor services as the sole input. The function  $F$  is assumed to be strictly increasing and strictly concave. Firms choose the amount of labor input to maximize profits, given by

$$\phi_t \equiv p_t F(h_t) - w_t h_t.$$

The optimality condition associated with this problem is

$$p_t F'(h_t) = w_t.$$

This condition represents the supply of nontradable goods. It is depicted with a solid upward sloping line in the space  $(h, p)$  in figure 2. Ceteris paribus, the higher is the relative price of the nontraded good, the higher is the demand for labor and therefore the larger the supply of nontradable goods. Also, all other things equal, the higher is the labor cost  $w_t$ , the smaller are the demand for labor and the supply of nontradables at each level of the relative price  $p_t$ . Figure 2 displays with a broken upward sloping line the shift in the supply schedule that results from an increase in the nominal wage rate from  $W_0$  to  $W_{boom} > W_0$ , holding the nominal exchange rate constant at  $\bar{E}$ .

## 2.3 Closure of the Labor Market

The following three conditions must hold at all times:

$$w_t \geq \gamma w_{t-1},$$

$$h_t \leq \bar{h},$$

and

$$(h_t - \bar{h})(w_t - \gamma w_{t-1}) = 0.$$

The first two constraints were already introduced. The third is a slackness condition stating that whenever there is underemployment the lower bound on wages must bind, and that whenever this lower bound is not binding, the labor market must operate at full employment.

## 2.4 The Government

The government imposes a proportional tax (subsidy) on debt,  $\tau_t^d$ , and a proportional subsidy (tax) on income,  $\tau_t^y$ . Given  $\tau_t^d$ , whose determination we will discuss shortly, the government sets income subsidies to balance the budget period by period. Specifically,  $\tau_t^y$  satisfies

$$\tau_t^y (y_t^T + w_t h_t + \phi_t) = \tau_t^d \frac{d_{t+1}}{1 + r_t}$$

## 2.5 Competitive Disequilibrium Dynamics

Because product prices are assumed to be fully flexible, the market for nontraded goods must clear at all times. That is, the condition

$$c_t^N = F(h_t)$$

holds for all  $t$ . Combining this condition, the household's budget constraint, the government's budget constraint, and the definition of firms' profits, we obtain the following market-clearing condition for traded goods:

$$c_t^T + d_t = y_t^T + \frac{d_{t+1}}{1 + r_t}. \quad (8)$$

The complete set of conditions describing the competitive disequilibrium dynamics is then given by (8) and

$$P(c_t^T, h_t)F'(h_t) = w_t, \quad (9)$$

$$h_t \leq \bar{h}, \quad (10)$$

$$w_t \geq \gamma w_{t-1}, \quad (11)$$

$$d_{t+1} \leq \bar{d}, \quad (12)$$

$$\lambda_t = U'(A(c_t^T, F(h_t)))A_1(c_t^T, F(h_t)), \quad (13)$$

$$\frac{\lambda_t(1 - \tau_t^d)}{1 + r_t} = \beta \mathbb{E}_t \lambda_{t+1} + \mu_t, \quad (14)$$

$$\mu_t \geq 0, \quad (15)$$

$$\mu_t(d_{t+1} - \bar{d}) = 0, \quad (16)$$

$$(h_t - \bar{h})(w_t - \gamma w_{t-1}) = 0, \quad (17)$$

$$\tau_t^y = \tau_t^d \frac{d_{t+1}/(1 + r_t)}{y_t^T + P(c_t^T, h_t)F(h_t)}, \quad (18)$$

where

$$P(c_t^T, h_t) \equiv \frac{A_2(c_t^T, F(h_t))}{A_1(c_t^T, F(h_t))}$$

denotes the relative price of nontradables in terms of tradables expressed as a function of consumption of tradables and employment.

### 3 Optimal Capital Controls

The combination of downward nominal wage rigidity and a currency peg creates a negative pecuniary externality. The nature of this externality is that in periods of economic expansion, elevated demand for nontradables drives real wages up placing the economy in a vulnerable situation. For in the contractionary phase of the cycle, downward nominal wage rigidity and the currency peg hinder the downward adjustment of real wages, causing unemployment. Individual agents understand this mechanism, but are too small to internalize the fact that their own expenditure choices collectively exacerbate disruptions in the labor market.

The pecuniary externality can be visualized in figure 2. The initial position of the economy is at point  $A$ , where the labor market is operating at full employment,  $h_t = \bar{h}$ . In response to a positive external shock, traded absorption increases from  $c_0^T$  to  $c_{boom}^T$  causing the demand function to shift up and to the right. If nominal wages stayed unchanged, the new intersection of the demand and supply schedules would occur at point  $B$ . However, at that point, employment would exceed the available supply of labor  $\bar{h}$ . The excess demand for labor drives up the nominal wage from  $W_0$  to  $W_{boom}$  causing the supply of nontradables to shift up and to the left. The new intersection of the demand and supply schedules occurs at point  $C$ , where full employment is restored and the excess demand for labor has disappeared.

Suppose now that the external shock fades away, and that, therefore, absorption of tradables goes back to its original level  $c_0^T$ . The decline in  $c_t^T$  shifts the demand schedule back to its original position. However, the economy does not immediately return to point  $A$ , because, due to downward nominal wage rigidity, the nominal wage stays at  $W_{boom}$  and, as a result, the supply schedule does not move. The new intersection is at point  $D$ . There, the economy suffers involuntary unemployment equal to  $\bar{h} - h_{bust}$ . Over time, the economy will return to point  $A$ . However, the convergence is inefficient because it features unemployment throughout. Consequently, the government has an incentive to prudentially regulate capital flows to curb the initial expansion in tradable consumption in response to positive external shocks. Such policy would dampen the initial increase in nominal wages and in that way

mitigate the subsequent unemployment problem as the economy returns to its initial state.

In the present study, we focus on a second-best type of government intervention that takes the form of capital controls. Specifically, we assume that the instruments available to the government are the tax rate on debt  $\tau_t^d$  and the income subsidy  $\tau_t^y$ . The latter tax is merely used as a vehicle to rebate in a nondistorting fashion the revenues generated by capital controls. The government is assumed to be benevolent and to be endowed with full commitment. We therefore refer to the fiscal authority as the Ramsey planner. It is worth noting that the battery of fiscal instruments available to our Ramsey planner is limited to capital controls, and, in particular, does not include wage-subsidy schemes in labor markets afflicted by downward wage rigidity. Elsewhere (Schmitt-Grohé and Uribe, 2011) we show that appropriately designed wage subsidies can fully eliminate the distortions arising from the combination of downward wage rigidity and a currency peg.

The Ramsey planner's optimization problem consists in choosing a tax scheme  $\{\tau_t^d, \tau_t^y\}$  to maximize the household's lifetime utility function (3) subject to the complete set of conditions describing the competitive dynamics, equations (8)-(18). The strategy we follow to characterize the Ramsey allocation is to drop conditions (13)-(18) from the set of constraints of the Ramsey planner's problem and then to show that the solution to this less constrained problem satisfies the omitted constraints.

Accordingly, the Lagrangian of the less constrained Ramsey problem is given by

$$\begin{aligned}
\mathcal{L} = & \mathbb{E}_0 \sum_{t=0}^{\infty} \beta^t \{ U(A(c_t^T, F(h_t))) \\
& + \lambda_t^c \left[ y_t^T + \frac{d_{t+1}}{1+r_t} - c_t^T - d_t \right] \\
& + \lambda_t^p \left[ P(c_t^T, h_t) F'(h_t) - w_t \right] \\
& + \lambda_t^h \left[ \bar{h} - h_t \right] \\
& + \lambda_t^w \left[ w_t - \gamma w_{t-1} \right] \\
& + \lambda_t^d \left[ \bar{d} - d_{t+1} \right] \},
\end{aligned}$$

where  $\lambda_t^c > 0$ ,  $\lambda_t^h \geq 0$ ,  $\lambda_t^w \geq 0$ ,  $\lambda_t^d \geq 0$ , and  $\lambda_t^p$  are Lagrange multipliers.

The first-order optimality conditions with respect to  $\lambda_t^c$ ,  $\lambda_t^p$ ,  $\lambda_t^h$ ,  $\lambda_t^w$ ,  $\lambda_t^d$ ,  $c_t^T$ ,  $h_t$ ,  $d_{t+1}$ ,  $w_t$ , and associated slackness conditions are, respectively, (8)-(12) and

$$U'(A(c_t^T, F(h_t)))A_1(c_t^T, F(h_t)) = \lambda_t^c - \lambda_t^p P_1(c_t^T, h_t)F'(h_t) \quad (19)$$

$$U'(A(c_t^T, F(h_t)))A_2(c_t^T, F(h_t))F'(h_t) = \lambda_t^h - \lambda_t^p [P_2(c_t^T, h_t)F'(h_t) + P(c_t^T, h_t)F''(h_t)] \quad (20)$$

$$\frac{\lambda_t^c}{(1+r_t)} = \beta \mathbb{E}_t \lambda_{t+1}^c + \lambda_t^d \quad (21)$$

$$\lambda_t^w = \beta \gamma \mathbb{E}_t \lambda_{t+1}^w + \lambda_t^p \quad (22)$$

$$(h_t - \bar{h})\lambda_t^h = 0 \quad (23)$$

$$\lambda_t^w (w_t - \gamma w_{t-1}) = 0 \quad (24)$$

$$(d_{t+1} - \bar{d})\lambda_t^d = 0 \quad (25)$$

We now show that allocations  $\{c_t^T, h_t, w_t\}$  that satisfy the optimality conditions of the less constrained Ramsey problem, that is, conditions (8)-(12) and (19)-(25), also satisfy the constraints that were omitted from the Ramsey problem, namely, conditions (13)-(18). To see this, first pick  $\lambda_t$  to satisfy (13). Next, set  $\mu_t = 0$  for all  $t$ .<sup>1</sup> It follows that (15) and (16) are satisfied. Pick  $\tau_t^d$  to satisfy (14). To ensure that the Ramsey policy is revenue neutral, pick  $\tau_t^y$  to satisfy (18). It remains to be shown that (17) is also implied by the set of Ramsey optimality conditions. To see that this is the case, consider the following proof by contradiction. Suppose, contrary to what we wish to show, that in the Ramsey allocation  $h_t < \bar{h}$  and  $w_t > \gamma w_{t-1}$  at some date and state. Then, by (23) and (24), it must be the case that  $\lambda_t^h = \lambda_t^w = 0$ . But then, by (20) and by the facts that  $P_2(c_t^T, h_t) < 0$  and  $F''(h_t) < 0$ ,

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<sup>1</sup>Note that in states in which the Ramsey allocation calls for setting  $d_{t+1} < \bar{d}$ ,  $\mu_t$  must be chosen to be zero. However, in states in which the Ramsey allocation yields  $d_{t+1} = \bar{d}$ ,  $\mu_t$  need not be chosen to be zero. In these states, any positive value of  $\mu_t$  could be supported in the decentralization of the Ramsey equilibrium. Of course, in this case,  $\tau_t^d$  will depend on the chosen value of  $\mu_t$ . In particular,  $\tau_t^d$  will be strictly decreasing in the arbitrarily chosen value of  $\mu_t$  and will be smaller than the one given in equation (26).

we have that  $\lambda_t^p > 0$ . This implication contradicts condition (22), which indicates that  $\lambda_t^p = -\beta\gamma E_t \lambda_{t+1}^w \leq 0$  (recall that  $\lambda_t^w \geq 0$ ).

From the arguments presented above, we have that the optimal capital control policy must deliver tax rates on debt satisfying

$$\tau_t^d = 1 - \frac{\beta(1+r_t)E_t \lambda_{t+1}}{\lambda_t}, \quad (26)$$

where  $\lambda_t \equiv U'(c_t)A_1(c_t^T, c_t^N)$  denotes the marginal utility of consumption of tradables. It follows from the above expression that, all other things equal, capital controls are positive when the marginal utility of tradables is expected to fall. That is, capital controls are more likely to be put into place when either total consumption or consumption of tradables or both are expected to grow.<sup>2</sup> Conversely, all other things equal, the Ramsey fiscal authority loosens capital restrictions when aggregate consumption or consumption of tradables or both are expected to decline. It follows that the optimal capital control policy is essentially prudential, in the sense that restrictions to capital inflows are imposed during the expansionary phase of the cycle and loosened during the contractionary phase.

An implication of the previous analysis is that one can characterize the Ramsey allocation as the solution to the following Bellman equation problem:

$$v(y_t^T, r_t, d_t, w_{t-1}) = \max [U(A(c_t^T, F(h_t))) + \beta \mathbb{E}_t v(y_{t+1}^T, r_{t+1}, d_{t+1}, w_t)] \quad (27)$$

subject to (8)-(12), where  $v(y_t^T, r_t, d_t, w_{t-1})$  denotes the value function of the representative household. We exploit this formulation of the Ramsey problem in our numerical analysis.

We close this section by pointing out that the model with Ramsey optimal capital controls is equivalent to one in which a benevolent government chooses the level of external debt and households cannot participate in financial markets but are hand-to-mouth agents. In

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<sup>2</sup>Strictly speaking, the marginal utility of consumption of tradables is decreasing in total consumption only if the intertemporal elasticity of substitution is smaller than the intratemporal elasticity of substitution.

this formulation, households receive a transfer from the government each period and their choice is limited to the allocation of expenditure between tradable and nontradable goods. The government then chooses the aggregate level of external debt taking into account the pecuniary externality created by the combination of downward nominal wage rigidity and a currency peg.

## 4 Dynamics Under Optimal Capital Controls

We wish to characterize aggregate dynamics under optimal capital controls. Of particular interest is to compare the model's predictions with and without capital controls. Given the complexity of the model, this question must be addressed using numerical methods. Specifically, using a calibrated version of the model, we compare aggregate dynamics and welfare associated with free capital mobility and with the optimal capital control policy.

We assume a CRRA form for the period utility function, a CES form for the aggregator function, and an isoelastic form for the production function of nontradables:

$$U(c) = \frac{c^{1-\sigma} - 1}{1 - \sigma},$$

$$A(c^T, c^N) = \left[ a(c^T)^{1-\frac{1}{\xi}} + (1-a)(c^N)^{1-\frac{1}{\xi}} \right]^{\frac{\xi}{\xi-1}},$$

and

$$F(h) = h^\alpha.$$

We calibrate the model at a quarterly frequency. All parameter values are taken from Schmitt-Grohé and Uribe (2011) and are shown in table 1. The single most relevant parameter in our model is  $\gamma$ , governing the degree of downward nominal wage rigidity. In Schmitt-Grohé and Uribe (2011), we present empirical evidence suggesting that nominal wages are downwardly rigid, and that our calibration of 0.99 for  $\gamma$  is conservative, in the sense that the empirical evidence points to values of  $\gamma$  greater than 0.99.

Table 1: Calibration

Parameter	Value	Description
$\gamma$	0.99	Degree of downward nominal wage rigidity (Schmitt-Grohé and Uribe, 2011)
$\sigma$	5	Inverse of intertemporal elasticity of consumption (Ostry and Reinhart, 1992)
$y^T$	1	Steady-state tradable output
$\bar{h}$	1	Labor endowment
$a$	0.26	Share of tradables (Schmitt-Grohé and Uribe, 2011)
$\xi$	0.44	Intratemporal Elasticity of Substitution (González Rozada, 2004)
$\alpha$	0.75	Labor share in nontraded sector (Uribe, 1997)
$\beta$	0.9375	Quarterly subjective discount factor (Schmitt-Grohé and Uribe, 2011)

Note. See Schmitt-Grohé and Uribe (2011) for details.

We also borrow from earlier work (Schmitt-Grohé and Uribe, 2011) the stochastic process driving aggregate fluctuations in our economy. Specifically, we assume that tradable output and the country interest rate, denoted  $r_t$ , follow a bivariate, first-order, autoregressive process of the form

$$\begin{bmatrix} \ln y_t^T \\ \ln \frac{1+r_t}{1+r} \end{bmatrix} = A \begin{bmatrix} \ln y_{t-1}^T \\ \ln \frac{1+r_{t-1}}{1+r} \end{bmatrix} + \nu_t, \quad (28)$$

where  $\nu_t$  is a white noise of order 2 by 1 distributed  $N(\emptyset, \Sigma_\nu)$ . The parameter  $r$  denotes the deterministic steady-state value of  $r_t$ . The country interest rate  $r_t$  represents the rate at which the country can borrow in international markets. In Schmitt-Grohé and Uribe (2011), we estimate the system (28) using Argentine data over the period 1983:Q1 to 2001:Q4. Our OLS estimates of the matrices  $A$  and  $\Sigma_\nu$  and of the scalar  $r$  are

$$A = \begin{bmatrix} 0.79 & -1.36 \\ -0.01 & 0.86 \end{bmatrix}; \quad \Sigma_\nu = \begin{bmatrix} 0.00123 & -0.00008 \\ -0.00008 & 0.00004 \end{bmatrix}; \quad r = 0.0316.$$

We discretize the AR(1) process given in equation (28) using 21 equally spaced points for  $\ln y_t^T$  and 11 equally spaced points for  $\ln(1+r_t)/(1+r)$ . For details, see Schmitt-Grohé and Uribe (2011).

We numerically approximate the equilibrium dynamics under the optimal capital control

policy by applying the method of value function iteration over a discretized state space. The state of the economy in period  $t \geq 0$  consists of the exogenous variables  $y_t^T$  and  $r_t$ , the endogenous state  $d_t$ , and the endogenous predetermined variable  $w_{t-1}$ . The welfare of the representative household under the optimal capital control policy can be approximated by solving the functional equation (27) subject to (8)-(12).

Approximating the dynamics of the model economy under free capital mobility is computationally more demanding than doing so under optimal capital control policy. The reason is that, because of the distortions introduced by the combination of downward nominal wage rigidity and a currency peg, aggregate dynamics can no longer be cast in terms of a Bellman equation without introducing additional state variables. We therefore approximate the solution by policy function iteration over a discretized version of the state space  $(y_t^T, r_t, d_t, w_{t-1})$ . For details see Schmitt-Grohé and Uribe (2011).

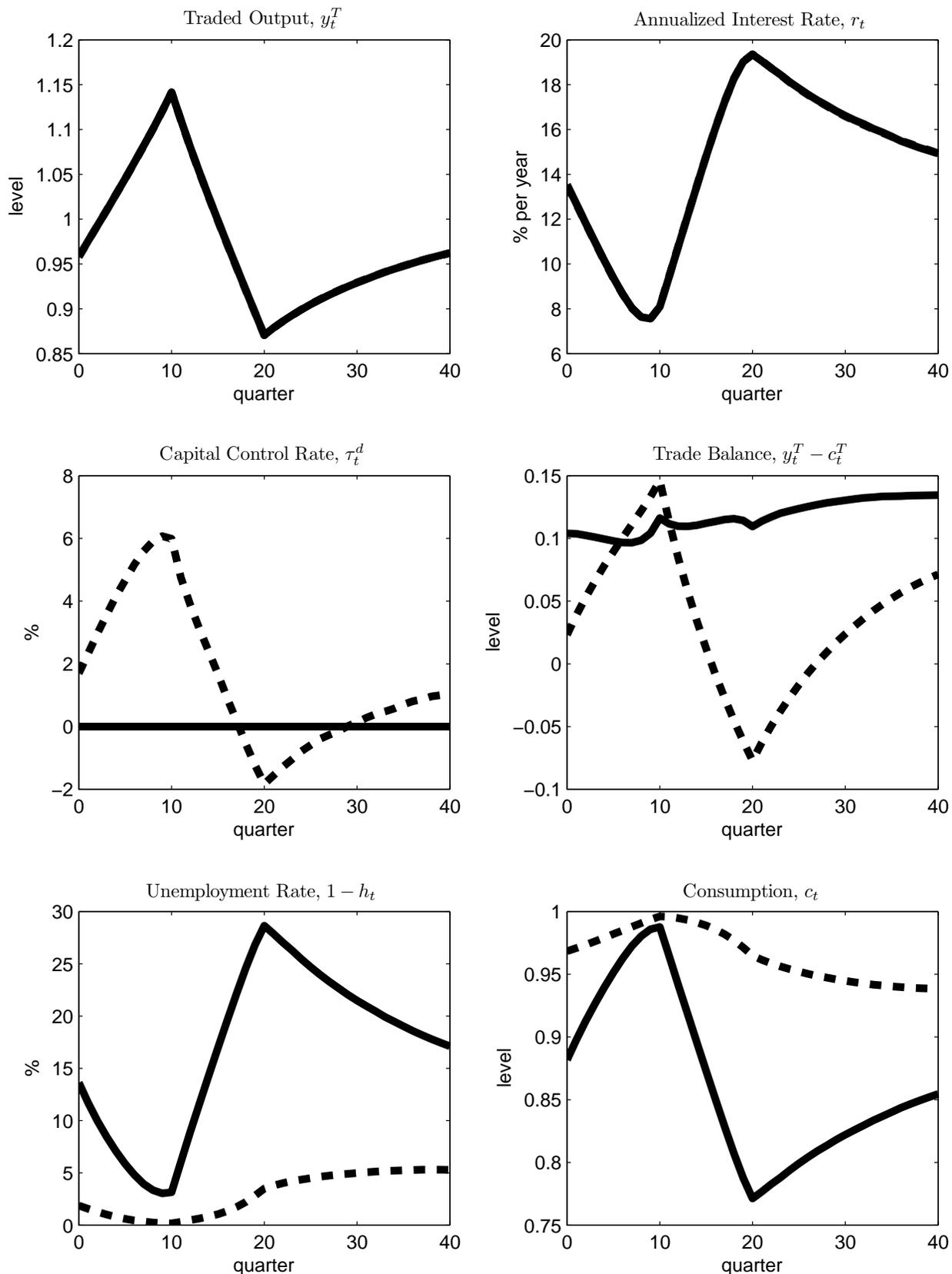
In approximating the aggregate dynamics of the economies with and without capital controls, we discretize the endogenous dimensions of the state space using 501 equally spaced points for the level of  $d_t$  and 500 equally spaced points for the logarithm of  $w_{t-1}$ .

## 4.1 Capital Controls During a Boom-Bust Episode

To illustrate the prudential nature of optimal capital controls in an economy undergoing a currency peg, we simulate a boom-bust episode. We define a boom-bust episode as a situation in which tradable output,  $y_t^T$ , is at or below trend in period 0, at least one standard deviation above trend in period 10, and at least one standard deviation below trend in period 20. To this end, we simulate the model economy for 20 million periods and select all subperiods that satisfy our definition of a boom-bust episode. We then average across these episodes.

Figure 3 depicts the model's predictions during a boom-bust cycle. Solid lines correspond to the economy with free capital mobility and broken lines to the economy with optimal capital controls. The two top panels of the figure display the dynamics of the two exogenous driving forces, tradable output and the country interest rate. By construction,  $y_t^T$  and  $r_t$

Figure 3: Prudential Policy For Peggers: Boom-Bust Dynamics With and Without Capital Controls



— No Capital Controls

- - - - - Optimal Capital Controls

are unaffected by capital controls. The middle left panel of the figure shows that capital controls increase significantly during the expansionary phase of the cycle, from about 2 percent at the beginning of the episode to almost 7 percent at the peak of the cycle. During the contractionary phase of the cycle, capital controls are drastically relaxed. Indeed at the bottom of the crisis, capital inflows are actually subsidized at a rate of about 2 percent.

The sharp increase in capital controls during the expansionary phase of the cycle puts sand in the wheels of capital inflows, thereby restraining the boom in consumption (see the bottom right panel of figure 3). Under free capital mobility, during the boom, consumption increases significantly more than under the optimal capital control policy. In the contractionary phase, the fiscal authority incentivates spending by subsidizing capital inflows. As a result consumption falls by much less in the regulated economy than it does in the unregulated one. During the recession, the optimal capital control policy, far from calling for austerity in the form of trade surpluses, facilitates large trade balance deficits as shown in the middle right panel of figure 3. In this way, the capital control policy is able to stabilize the absorption of tradable goods (not shown in figure 3) over the cycle. We note that the first-best policy (which, as discussed earlier, could be implemented via an optimal exchange-rate regime or with appropriate labor subsidies) calls not for running large deficits during crises, but, on the contrary, for a trade surplus (see Schmitt-Grohé and Uribe, 2011). This difference in the behavior of the trade balance highlights the fact that the second-best allocation does not mimic the business cycle induced by the first-best allocation.

Because unemployment depends directly upon variation in the level of tradable absorption through their role as a shifter of the demand schedule for nontradables, and because optimal capital controls stabilize the absorption of tradables, unemployment is also stable over the boom-bust cycle. Specifically, as can be seen from the bottom left panel of figure 3, in the absence of capital controls, unemployment increases sharply by over 20 percentage points during the recession. By contrast, under optimal capital controls the rate of unemployment rises relatively modestly by about 3 percentage points.

Table 2: Optimal Capital Controls: Level and Volatility Effects

Variable	Symbol	Mean		Standard Deviation	
		Optimal	No	Optimal	No
		Capital	Capital	Capital	Capital
		Controls	Controls	Controls	Controls
Capital Control Rate	$\tau_t^d$	2.4	0	5.2	0
Unemployment Rate	$\bar{h} - h_t$	3.1	13.5	7.6	11.7
Consumption	$c_t$	0.97	0.89	0.08	0.10
Trade Balance	$y_t^T - c_t^T$	0.05	0.11	0.12	0.07
Real Wage	$W_t/E_t$	2.1	2.3	0.6	0.7
Traded Output	$y_t^T$	1.0	1.0	0.1	0.1
Interest Rate	$r_t$	13.2	13.2	7.4	7.4
External Debt	$d_t$	0.9	3.4	2.3	0.7
Debt-to-Output Ratio	$d_t/4/(y_t^T + p_t c_t^N)$	11.2	26.0	22.1	12.6
Welfare Cost of Free Capital Mobility		9.0 (mean)		7.5 (median)	

Note.  $\tau_t^d$ ,  $\bar{h} - h_t$ , and  $d_t/4/(y_t^T + p_t c_t^N)$  are expressed in percent,  $r_t$  is expressed in percent per year, and  $c_t$ ,  $y_t^T - c_t^T$ ,  $W_t/E_t$ ,  $y_t^T$ , and  $d_t$  are expressed in levels. The welfare cost of free capital mobility is measured as the percent increase in consumption that the representative household living in the economy with free capital mobility must receive every period to be as well off as living in the economy with optimal capital controls.

Summarizing, the optimal capital control policy is prudential. It calls for restricting capital inflows during booms and encouraging them during contractions. In this way, the optimal capital control policy strengthens the role of the current account as a vehicle to stabilize domestic absorption over the business cycle. Optimal government intervention results in trade deficits during recessions and trade surpluses during booms of a much larger scale than would occur under free capital mobility.

## 5 Level and Volatility Effects of Optimal Capital Controls

Table 2 displays unconditional first and second moments of macroeconomic indicators of interest for the economies with optimal capital controls and free capital mobility.

On average, the Ramsey planner imposes a positive tax on external debt of 2.4 percent.

This figure implies large average levels of capital controls, for the effective interest rate faced by domestic debtors, given by  $(1 + r_t)/(1 - \tau_t^d)$ , increases from 13.2 percent per year under free capital mobility to 24.8 percent per year under optimal capital controls. The main reason why the Ramsey planner finds it optimal to impose capital controls on average is to lower the average level of external debt holdings. We postpone an explanation of why this is optimal until section 6.

Table 2 also shows that the tax on debt is highly volatile, with a standard deviation of 5.2 percentage points per quarter. The main payoff of imposing highly cyclical capital controls is an enormous reduction in the average rate of unemployment from 13 percent under free capital mobility to 3 percent under the optimal capital control policy. This reduction in unemployment is welfare increasing because it raises the average level of production, and hence also absorption, of nontradables, which provide utility to domestic households.

The reduction in unemployment is mediated by a significant reduction in the volatility of the growth rate of tradable absorption. The standard deviation of the growth rate of tradable consumption,  $c_t^T/c_{t-1}^T$ , not shown in the table, falls from 5.3 percent under free capital mobility to 2.9 percent under optimal capital controls. The connection between the volatility of tradable consumption growth and unemployment follows from the fact that consumption of tradables plays the role of a shifter of the demand for nontradables. In turn, the Ramsey planner succeeds in curbing the variance of tradable expenditure growth by raising the cost of external borrowing during booms and lowering it during recessions. The correlation between traded output  $y_t^T$  and the capital control rate  $\tau_t^d$  is 0.54 and the correlation between the interest rate  $r_t$  and  $\tau_t^d$  is -0.58. Furthermore, the Ramsey planner engineers an effective interest rate that is positively correlated with traded output in spite of the fact that the interest rate itself is highly negatively correlated with the latter.

Table 2 shows that the first and second moments of the real (and nominal) wage rates are not significantly affected by the presence of capital controls. This prediction of the model might appear as surprising because downward wage rigidity is the sole friction in

the present model, and because unemployment behaves markedly differently across capital control regimes. A reason why the unconditional moments of real wages are so similar in the two regimes is that the lower bound on wages is binding most of the time in both economies (85 percent of the time under free capital mobility and 65 percent of the time under optimal capital controls), and, when this happens, the wage rate falls at the common gross rate  $\gamma$ . A reason why the first and second moments of unemployment are so different across regimes in spite of the similarity in the corresponding moments of real wages is that when the wage constraint is binding the magnitude of the unemployment rate depends on the strength of the domestic absorption of tradables, which is significantly different across regimes.

An important distinction in wage dynamics across capital control regimes that is not captured by the unconditional moments shown in table 2 is the behavior of wages during booms. During economic expansions, the Ramsey fiscal authority, through capital controls, limits the appreciation of real wages. In this way, it also reduces the need for large decreases in the real wage once the boom is over. To visualize the role of optimal capital controls in limiting wage increases during booms, figure 4 displays the cumulative probability distribution of positive wage changes under free capital mobility and under optimal capital controls. Under optimal capital controls the vast majority of wage increases are small. Specifically, 90 percent of wage increases are less than 5 percent in magnitude. By contrast, only about half of all wage increases that occur under free capital mobility are smaller than 5 percent. This difference underlines the prudential nature of optimal capital controls.

## 6 Peg-Induced Overborrowing

Table 2 shows that the average level of external debt in the economy with free capital mobility is more than three times higher than it is in the economy with optimal capital controls. This prediction of the model is also evident from figure 5, which shows the unconditional distribution of external debt under free capital mobility (solid line) and under optimal capital

Figure 4: Cumulative Probability Distribution of Positive Wage Changes

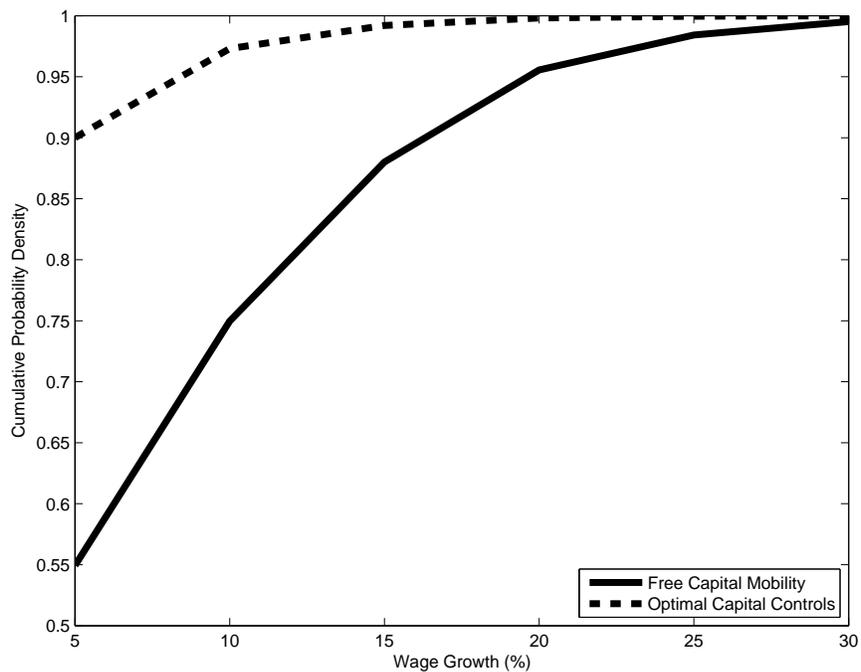
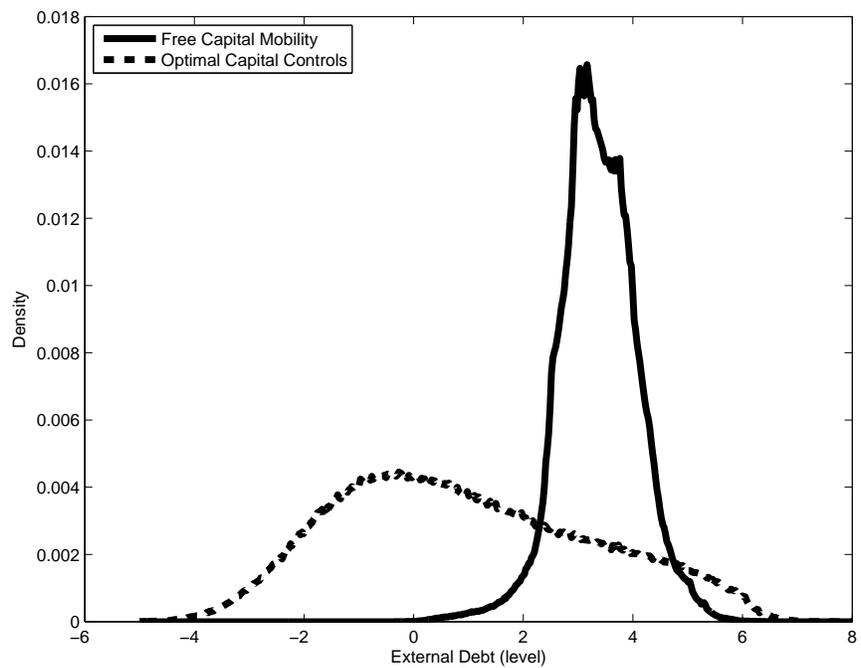


Figure 5: The Distribution of External Debt



controls (dashed line). The Ramsey planner induces a lower average level of external debt by taxing borrowing at a positive rate. Recall that the average tax rate on debt is 2.4 percent per quarter. It follows that pegging economies with free capital mobility accumulate inefficiently large amounts of external debt. In other words currency pegs in combination with free capital mobility lead to overborrowing.

The reason why the average level of external debt is lower under optimal capital controls than under free capital mobility is that the Ramsey planner finds it optimal to induce an external debt position that is significantly more volatile than the one associated with free capital mobility. As shown in table 2, the standard deviation of external debt is 2.3 under optimal capital controls, but only 0.7 under free capital mobility. Similarly, figure 5 shows that the distribution of external debt is significantly more dispersed under optimal capital controls than under free capital mobility. A more volatile process for external debt requires centering the debt distribution further away from the natural debt limit, for precautionary reasons. In turn, the reason why the Ramsey planner finds wide swings in the external debt position desirable is that such variations allow him to insulate the domestic absorption of tradable goods from exogenous disturbances buffeting the economy. Put differently, in the Ramsey economy, external debt plays the role of shock absorber to a much larger extent than it does in the economy with free capital mobility.

## 7 Welfare Costs of Free Capital Mobility for Peggers

We have established that in the present economy, free capital mobility entails excessive external debt and unemployment. Both of these factors tend to depress consumption and therefore reduce welfare. In this section, we quantify the welfare losses associated with free capital mobility in economies subject to a currency peg.

For a given state of the economy in period  $t$ ,  $(y_t^T, r_t, d_t, w_{t-1})$ , we define the welfare cost of free capital mobility, denoted  $\lambda(y_t^T, r_t, d_t, w_{t-1})$ , as the permanent percent increase in

consumption required by an individual living in the economy with free capital mobility to be as well off as living in the economy with optimal capital controls. Formally,  $\lambda(y_t^T, r_t, d_t, w_{t-1})$  is implicitly given by

$$\mathbb{E}_t \sum_{s=0}^{\infty} \beta^s U(c_{t+s}^{FCM} (1 + \lambda(y_t^T, r_t, d_t, w_{t-1}))) = \mathbb{E}_t \sum_{s=0}^{\infty} \beta^s U(c_{t+s}^{OCC}),$$

where  $c_t^{FCM}$  and  $c_t^{OCC}$  denote, respectively, consumption in the economy with free capital mobility and consumption in the economy with optimal capital controls in period  $t$ .

Table 2 shows that the welfare cost of free capital mobility for a pegging economy is enormous. The representative household living in the economy with free capital mobility requires a median increase of 7.5 percent in consumption every period to be indifferent between living under free capital mobility and living under optimal capital controls. Thus, the present model speaks with a strong voice against allowing capital to flow freely across borders in economies with fixed exchange rates and downwardly rigid wages.

## 8 Conclusion

The first contribution of this paper is to identify a negative pecuniary externality afflicting economies with downward nominal wage rigidity and fixed exchange rates. In this type of economic environment, private absorption expands too much in response to favorable shocks, causing inefficiently large increases in real wages. No problems are manifested in this phase of the cycle. However, as the economy returns to its trend path, wages fail to fall quickly enough because they are downwardly rigid. In addition, the central bank, having its hands tied by the commitment to a fixed exchange rate, cannot deflate the real value of wages via a devaluation. In turn, high real wages and a contracting level of aggregate absorption cause involuntary unemployment. Individual agents are conscious of this mechanism, but are too small to internalize it. The government, on the other hand, does internalize the distortion and therefore has an incentive to intervene.

The second contribution of the present study is to analyze the ability of capital controls to ameliorate the distortions introduced by the peg-induced pecuniary externality. We characterize both analytically and numerically the Ramsey optimal capital control policy. We show that, although capital controls cannot bring about the first-best allocation, they go a long way toward easing the pains of pegs. Under plausible calibrations of our model, we find that the representative household living in the economy with free capital mobility requires a 7.5 percent permanent increase in consumption to be indifferent between continuing to live in that environment and migrating to one with optimally set capital controls.

The third contribution of the present investigation is to establish that the optimal capital control policy is prudential in nature. The benevolent government taxes capital inflows in good times and subsidizes external borrowing in bad times. As a result, the economy experiences trade surpluses during booms and deficits during recessions. The key role of capital controls is to insulate the domestic absorption of tradable goods from external shocks. In this way, the government avoids that external disturbances spill over into the nontraded sector where they would otherwise cause unemployment.

The fourth important finding of our inquiry is to establish that pegging economies are prone to overborrowing. In our calibrated model, the average debt-to-output ratio falls from 26 percent in the economy with free capital mobility to 11 percent in the economy with optimal capital controls. The regulated economy accumulates a war chest of assets (or a reduced level of debt) in order to be able to stabilize traded consumption when the economy is buffeted by negative external shocks.

In summary, the results of the present study strongly suggest that, when labor markets suffer from downward nominal wage rigidity, fixed exchange rate arrangements should not be coupled with free capital mobility. On the contrary, in such economies, capital controls can be a highly effective instrument for macroeconomic stabilization. More importantly, the predictions of our model suggest that governments of fixed-exchange-rate economies should concentrate effort not on crisis management, but rather on crisis prevention.

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